

# Org to Reveal.js

## Reveal.js Cheatsheet

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# Reveal.js and Org-Reveal

- ▶ **Reveal.js** is a tool for creating good-looking HTML presentations, authored by Hakim El Hattab.  
For an example of a reveal.js presentation, see [here](#).
- ▶ **Org-Reveal** exports your Org documents to reveal.js presentations.  
With Org-reveal, you can create beautiful presentations with 3D effects from simple but powerful Org contents.

## Codes

- ▶ You can also install the latest developing version of org-reveal directly from GitHub.

Please download the latest Org-reveal package from the Org-reveal GitHub page. Or clone the GitHub repository:

```
git clone https://github.com/yjwen/org-reveal
```

- ▶ Copy `ox-reveal.el` to one of your Emacs's `load-path`, and add the following statement to your `.emacs` file.

```
(require 'ox-reveal)
```

- ▶ **Note:** It is suggested to use the Org-mode git repository in pair with the GitHub org-reveal. Please get the Org-mode git repository by:

```
$ git clone https://code.orgmode.org/bzg/org-
```

Follow the online instruction for building and installing Org-mode.

## MATLAB code

```
function x = fpi(g, x0, n)
% FPI  $x = fpi(g, x0, n)$ 
% Computes approximate solution of  $g(x)=x$ 
% Input:
% g    function handle
% x0   initial guess
% n    number of iteration steps
    x = x0;
    for k = 1:n
        x = g(x);
    end
end

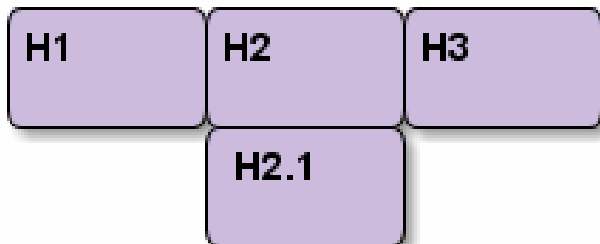
f = @(x) x.^2 - 4*x + 3.5;
g = @(x) x - f(x);
plot(g, [2 3], 'r');
hold on
plot([2 3], [2 3], 'k—')
```

## Images

Assume we have a simple Org file as below:

- \* H1
- \* H2
- \*\* H2.1
- \*\*\* H2.1.1
- \* H3

If HLevel is 1, the default value, headings H2.1 and H2.1.1 will be mapped to vertical slides below the slides of heading H2.



## More Images

[width=.9]./media/array\_creation



# Lorenz Equation

$$\dot{x} = \sigma(y - x)$$

The Lorenz system is  $\dot{y} = \rho x - y - xz$

$$\dot{z} = -\beta z + xy$$

## More Maths

The rootfinding problem  $f(x) = x^3 + x - 1 = 0$  can be transformed to various fixed point problems:

▶  $g_1(x) = x - f(x) = 1 - x^3$

▶  $g_2(x) = \sqrt[3]{1 - x}$

▶  $g_3(x) = \frac{1 + 2x^3}{1 + 3x^2}$

Note that all  $g_j(x) = x$  are equivalent to  $f(x) = 0$ . However, not all these find a fixed point of  $g$ , that is, a root of  $f$  on the computer.

**Exercise.** Run `fpi` with  $g_j$  and  $x_0 = 0.5$ . Which fixed point iterations converge?



## Fragmented Contents

Make contents fragmented (show up one-by-one) by setting option `ATTR_REVEAL` with property `":frag frag-style"`, as illustrated below. Paragraphs can be fragmented.

- ▶ Lists can
- ▶ be fragmented.

Pictures, tables and many other HTML elements can be fragmented.

### Fragment Styles

Available fragment styles are:

- ▶ grow
- ▶ shrink
- ▶ roll-in
- ▶ fade-out
- ▶ highlight-red
- ▶ highlight-green
- ▶ highlight-blue

# H1 heading (new slide)

## H2 heading (new slide)

### H3 heading (new slide)

- ▶ Lv1 item 1
  - ▶ Lv2 item1
    - ▶ Lv3 item1
      - ▶ item 1
      - ▶ item 2
    - ▶ Lv3 item 2
  - ▶ Lv2 item 2
  - ▶ Lv2 item 3
- ▶ Lv1 item 2
- ▶ Lv1 item 3

Contents area (more margin on the right)

# Boxes

# Two Columns: Pro/Con of emacs-reveal

## Pros

- ▶ Free/libre open source software
- ▶ Device-independent presentations
  - ▶ Also mobile and offline
  - ▶ Generated from simple text format
    - ▶ Easy to learn
    - ▶ Collaboration with diff/merge/git
    - ▶ Separation of layout and content

## Cons

- ▶ No WYSIWYG
- ▶ (Need to learn something new)